

3.1 cont. More Quadratic Functions

Objective: To continue our study of quadratic functions

Warm-Up (IN)

Describe the graph (include vertex, axis of symmetry, direction of opening, max or min, increasing and decreasing intervals, domain and range, and intercepts)

$y = -(x-3)^2 - 4$
 V(3, -4) no $x < 3$ y-int $y = -(0-3)^2 - 4 = -13$
 $x = 3$ decr $x > 3$ x-int $0 = -(x-3)^2 - 4$
 opens \downarrow D: \mathbb{R} $4 = -(x-3)^2$
 max -4 R: $y \leq -4$ $\sqrt{-4} = (x-3)^2$ NO x-ints

Feb 22-6:54 AM

Ex 1:

Remember... $f(x) = a(x-h)^2 + k$

a. Write an equation in vertex form for a parabola with the given info.

vertex: (3, 5)
 axis of symmetry: $x = 3$
 graph opens upward

$y = (x-3)^2 + 5$

b. What is the domain and range for this parabola? What values of x is it increasing? What values of x is it decreasing?

D: \mathbb{R} inc $x > 3$
 R: $y \geq 5$ decr $x < 3$

c. What are the x and y -intercepts for this parabolic function?

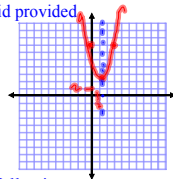
y-int $y = (0-3)^2 + 5 = 14$
 x-int $0 = (x-3)^2 + 5$
 $\sqrt{-5} = (x-3)^2$
 NO x-ints

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How many y -intercepts can a quadratic function have? 1

How many x -intercepts can a quadratic function have? 0, 1, 2

Ex 2: Graph the equation from examples 1 and 2 on the grid provided

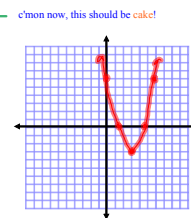


Using a graphing calculator

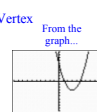
Ex 3: Given the function: $f(x) = x^2 - 6x + 6$ Find the following:

- 1) Sketch the graph
- 2) vertex
- 3) max or min
- 4) range
- 5) exact intercepts

1) Sketch the graph...



2) Vertex



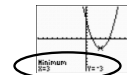
From the graph... Push 2nd, TRACE Select option 3: minimum (select option 4: maximum if it's open downward)

Move cursor left of vertex, Hit Enter

Move cursor right of vertex, Hit Enter

Make sure the vertex is on between the two arrows the program uses Hit Enter to accept the guess

Smile, the calculator did your work!



Coordinates of the vertex!

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3) Max or min

Found by analyzing your vertex!

4) Range

Analyze both the graph and the vertex, use the info you've found already!

5) Exact intercepts

y -intercepts are found by setting $x = 0$ and solving

x -intercepts are found by using the quadratic formula OR the calculator

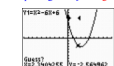
$x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$

work: y-int $y = 0^2 - 6(0) + 6 = 6$
 $0 = x^2 - 6x + 6$
 $x = \frac{6 \pm \sqrt{36 - 4(1)(6)}}{2(1)}$
 $= \frac{6 \pm \sqrt{12}}{2} = \frac{6 \pm 2\sqrt{3}}{2} = 3 \pm \sqrt{3}$

From graph you see two zeros



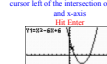
Accept the guess by hitting Enter



Hit 2nd, TRACE Select option 2: zero Hit Enter



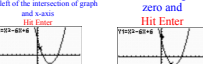
Find one of the two zeros by moving cursor left of the intersection of graph and x-axis Hit Enter



Zero is given at bottom of screen!



Move cursor right of zero and Hit Enter



Do this again for the second zero



Problem with this a decimal is not EXACT! ☆☆☆☆☆

Out: None

Summary: I can remember how to do all of this by...

Hw: finish Quads wkst (yrs... all of it)

QUIZ TOMORROW bring calc!

Jan 24-2:09 PM

Feb 22-12:08 PM